# Position-based Visual Servoing with Dual Manipulators 

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## Abstract

The research focuses on designing a system forposition-based visual servoing (PBVS) with dual 6-Degree of Freedom (DoF) UR10e robots. The main robot uses computer vision integrated position-based servoing algorithm for tracking the ARTag trajectories from another robot by using Realsense D435 camera. The PBVS algorithm allows the robot to compute the inverse Jacobian matrix from the elementary transform sequence (ETS) UR10e robot model and spatial velocity from the ARTag pose. The result of this algorithm is joint velocity control on the real UR10e robot, which helps the main robot simultaneously tra
resulting video can be accessed at: triknight.github.if


Figure 1. Hardware setup of position-based visual servoing with dual manipulators

## The contributions of this paper are:

Developed forward kinematics of the 6-DoF UR10e robot based on elementary transform sequence (ETS). The ETS model gets better robot kinematic representation, which can avoid the frame assignment constraints of Denavit and Hartenberg (DH) notation.
Designed a position-based visual servoing (PBVS) with dual manipulators system by using OS middle-ware, interfacing joint position, ARTag position, and controlling joints velocity of the real robot. Visualization of real robot operation data feedback by Rviz and using pplied resolved-rate motion co the inverse Jacobian matrix and spatial velocity from an error position vector of the end-effector.


Figure 2. Position-based visual servoing with dual manipulators system

## System Overview (Cont.)

The scheme of the developed PBVS with dual manipulators system is shown in Fig.2, which in cludes two robot arms. Robot 2 has been programming for grasping the ARTag and creating trajectory movement. Robot 1 has been connecting with a ROS computer with implemented PBVS algorithm. This algorithm can separate into three main components, which are pose estimation, motion control, and visualization

Pose estimation: A fiducial marker -ARtag has been chosen to simplify object tracking and pose estimation. A new URDF model of the UR10e robot is created by integrating camera
Realsense and gripper On-Robot RG2, which model can help the robot estimate the position from ARtag to the robot's end-effector via the open-source ARTag tracking ROS package [4] Motion control: The position-based servoing algorithm includes two main steps. In the first step, the algorithm would be designed so that it would calculate the end-effector spatial velocity by running in as many iteration loops as necessary until the solution converges to the minimizing translation and rotation error vector between the end-effector current pose and velocities to achieve the desired end-effector velocity by using an inverse Jacobian matrix with joint state feedback.
Visualization: The development of the visualization software is mostly done in ROS [5] using RViz to visualize the robot, simulation in Python Robotics Toolbox [1] and IDE environment in Visual Studio using several open source libraries (OpenCV, ARTag tracking),

## Elementary Transform Sequence (ETS)

The elementary transform sequence (ETS) of the 6-DoF UR10e manipulator in its home configurations. $E_{i}$ represents an elementary transform and ${ }^{n} T_{m}$ represents the pose of link frame $m$ in the reference frame of link $n$.


Figure 3. The Elementary Transform Sequence of the 6 DoF of UR10e robot
The dimension of the UR10e robot follows the table below. Where $a_{i}, d_{i}$ are dimensions from joint $i$ to join $i-1$, and $q_{i}$ is the rotation around $z_{i}$ axis of the robot joint.

| Joint | $\mathrm{a}(\mathrm{m})$ | $\mathrm{d}(\mathrm{m})$ | $\alpha(\mathrm{rad})$ |
| :--- | :--- | :--- | :---: |
| Joint 1 | 0 | 0.1807 | $\frac{\pi}{2}$ |
| Joint 2 | 0.6127 | 0 | 0 |
| Joint 3 | 0.57155 | 0 | 0 |
| Joint 4 | 0 | 0.17415 | 0 |
| Joint 5 | 0 | 0.11985 | $-\frac{\pi}{2}$ |
| Joint 6 | 0 | 0.11655 | 0 |

The 1 These parameters reference the Universal Robot Denavit-Hartenherg parameters if

## Position-Based Servoing

the elementary transform sequence (ETS) is another representaion of the kinematics for a seria--ink manipulator, which was introduced by Corke [2]. The forward kinematics of a manipUator presents a non-linear mapping between the robot's joint space and Cartesian task space.

$$
{ }^{0} \boldsymbol{T}_{\boldsymbol{e}}(t)=\mathcal{K}(\boldsymbol{q}(t))
$$

Where ${ }^{0} \boldsymbol{T}_{e} \in \boldsymbol{S E}(3)$ is a homogeneous transformation matrix describing the pose of end effector in the world-coordinate frame, $\mathcal{K}($.$) is the product of a number of elementary trans$ forms, and $\boldsymbol{q}(t) \in \mathbb{R}^{n}$ is the vector of joint generalized coordinates. Fig. 3 is shown the ETS

Resolved-Rate Motion Control (RPMC)
End-effector spatial velocity in the world frame

$$
\begin{equation*}
\nu=\binom{v}{\omega}=\binom{J_{v}(q)}{J_{\omega}(q)} \dot{q}=J \dot{q} \tag{2}
\end{equation*}
$$

Where $J_{v}(q) \in \mathbb{R}^{3 \times n}, J_{v}(\omega) \in \mathbb{R}^{3 \times n}$ are the translational part and rotational part of the manipulator Jacobian matrix, and $\dot{q}$ is the joint velocities. RRMC is an elegant motion method along an arbitrarily oriented straight line in space [7], from Eq. 2 can re-arrangement:

$$
\dot{q}=J(q)^{-1} \nu
$$

UR10e has 6 degree-of-freedom (DOF), so the Jacobian matrix $J(q) \in \mathbb{R}^{6 \times 6}$ is square and invertible.

## Position-based servoing (PBS)

PBS algorithms depend on an error vector that presents the translation and rotation from the end-effector's current pose to the ARTag pose [3].

$$
\begin{equation*}
e=\binom{\tau\left({ }^{0} T_{e} *\right)-\tau\left({ }^{0} T_{e}\right)}{\alpha\left(\rho\left(\rho^{0} T_{e} *\right)-\rho\left(T_{e}\right)\right)} \in \mathbb{R}^{6} \tag{4}
\end{equation*}
$$

Where ${ }^{0} T_{e}$ and ${ }^{0} T_{e} *$ are forward kinematics and desired end-effector pose in the base frame of the robot, $\tau$ and $\rho$ are translation and rotation of the end-effector pose, and $\alpha($.$) transform$ a rotation matrix to Euler vector. At each time step, the PBS scheme is constructed by takin the error term from Eq. 4 to set end-effector spatial velocity $\nu$
$\nu=k e$
(5)

Where $k$ is a gain, which is typically a diagonal matrix. From Eq. 5 and Eq. 3 , we can calculate the joint velocities based on the Jacobian matrix and spatial velocity, then apply them to the real robot.

## Conclusion and future work

 dustrial robot manipulators and encapsulated them into a ROS package. Encouraging outcomes have been presented based on unique real-world dual manipulators experiments, demonstrating the ability of the position visual servo control scheme.The further application of this work is developing visual approaches focused on semantic understanding, vision-enabled intervention, and SLAM algorithms for archiving fully autonomous manipulation in industrial applications. Further study can apply different types of manipulators, such as underwater manipulation for ROV and AUV systems.

## References

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     Jesse Haviland and Peter Corke. "Manipulator Differential Kinematics Part: : Kinematics, Velocity, and Applications". In: July 2022) Dol: 10.48550 /arXiv. 2207.01010
    Open suarce AR tag tracking
    
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